

# \*SECTION\_SHELL\_EFG (1)

Card 1

Variable	SECID	ELFORM	SHRF	NIP	PROPT	...		
Type	F	F	F	I	F			
Default								

**ELFORM** EQ. 41: EFG shell (local projection)  
EQ. 42: EFG shell (iso-parametric mapping)  
EQ. 43: EFG 2D plane strain  
EQ. 44: EFG 2D axisymmetric (y-axis of symmetry)

Card 3 define only for the EFG option

Variable	DX	DY	ISPLINE	IDILA	IEBT	IDIM
Type	F	F	I	I	I	I
Default	1.1	1.1	0	0	1	2

```
*SECTION_SHELL_EFG
6, 41
1.1, 1.1, , , 4, 1,
```

## \*SECTION\_SHELL\_EFG (2)

DX, DY, ISPLINE same as in \*SECTION\_SOLID\_EFG  
IDILA: not available

### Essential boundary condition treatment

Variable	DX	DY	ISPLINE	IDILA	<b>IEBT</b>	IDIM
Type	F	F	I	I	I	I
Default	1.01	1.01	0	0	-1	2

**IEBT** EQ. 1: Full transformation (default)

EQ.-1: (w/o transformation)

EQ. 3: Coupled FEM/EFG = Smoothed Finite Element Method (SFEM)

*Wu et. al. IJNME (2014); Comp. Mech. (2014)*

## \*SECTION\_SHELL\_EFG (3)

### Domain integration method

Variable	DX	DY	ISPLINE	IDILA	IEBT	<b>IDIM</b>
Type	F	F	I	I	I	<b>I</b>
Default	1.01	1.01	0	0	-1	<b>0</b>

**ELFORM = 41**

**IDIM** EQ.1: first-kind Local boundary condition method  
EQ.2: Gauss integration (default)

**ELFORM = 42**

**IDIM** EQ.1: first-kind Local boundary condition method (default)  
EQ.2: second-kind Local boundary condition method

- **ELFORM = 41** is more suitable for crashworthiness analysis
- **ELFORM = 42** is more suitable for metal forming analysis

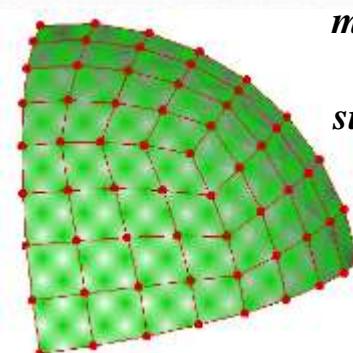
# Meshfree Shell Surface (1)

## ELFORM = 41: Global Approach

### Meshfree Shell Surface Representation

$$E_0 := \left\{ X_{mid} \in \mathbb{R}^3 \mid X_{mid}(\xi, \eta) = \phi(\xi, \eta) \right\}$$

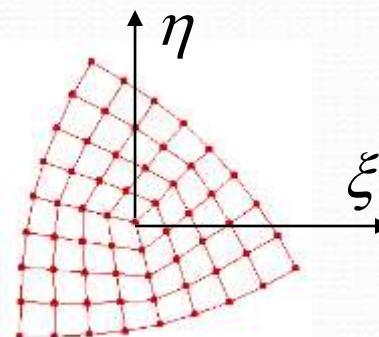
- Surface parameterization based on FE mesh + MLS [Krysl and Belytschko 1996]
- Lagrange polynomials + MLS [Noguchi et al. 2000]
- 3D RKPM with extra constraints [Chen and Wu 2001]
  
- Angle-based triangular flattening [Sheffer and Sturler, 2001] + MLS



$$\text{minimize } F(\alpha) = \sum_{i=1}^N \sum_{j=1}^3 (\alpha_i^j - \varphi_i^j)^2 w_i^j$$

*subject to*  $g_{i,j}^{(l)} \equiv \alpha_i^j \geq \varepsilon_2 > 0$ , for  $i = 1 \dots N$ ,  
 $j = 1 \dots 3$ , and some  $\varepsilon_2 > 0$

$\xleftarrow{\text{M}}$   
**Projection**

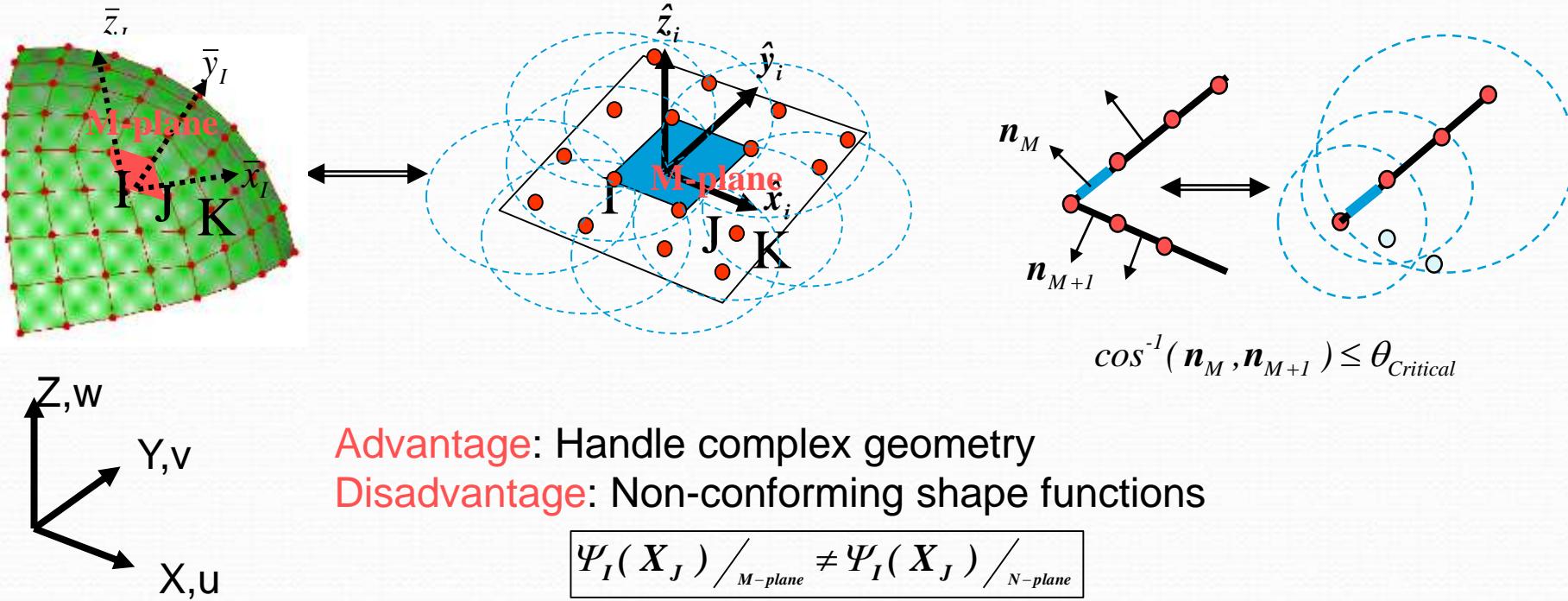


**Advantage:** Handle complex manifold surface; Conforming shape functions

**Disadvantage:** Requires multiple parametric domains for spherical & cylindrical structures

## Meshfree Shell Surface (2)

### ELFORM = 42: Local Approach



**Remedy:** (Area-weighed) smoothing

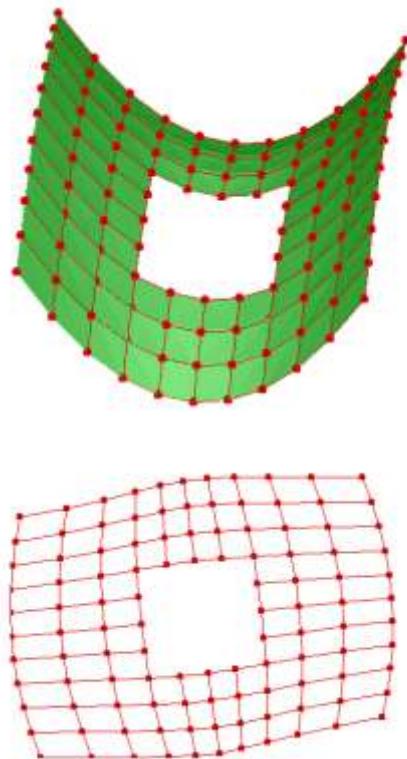
$$\Psi_I^0(X_J) = \sum_{IE=1}^{NIE} \frac{\Psi_I(X_J) \bullet A_{NIE}}{\sum A_{NIE}} \Rightarrow \sum_{I=1}^{NP} \Psi_I^0(X) X_{il}^N = X_i^N \quad \forall X \in E_0 / plate$$

where

*NIE is the number of surrounding projected planes evaluated at  $X_J$*

## Constructed Meshfree Surface

Meshfree Global Approach  
Meshfree Local Approach



Meshfree Global Approach  
Meshfree Local Approach

Meshfree Local Approach

